

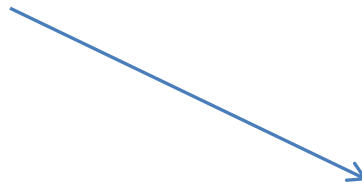
A **scalar** is a quantity having *magnitude* only.

**Examples:**

A **vector** refers to a quantity that has both *magnitude* and *direction*.

**Examples:**

We will begin this course by representing vectors *geometrically*. They are represented as a line segment with direction (a *directed line segment*).



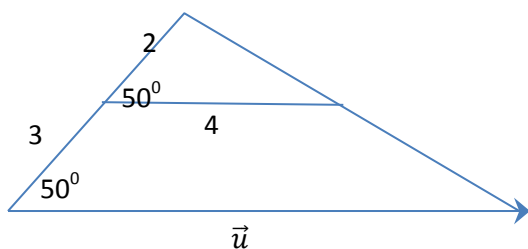
How do we express:

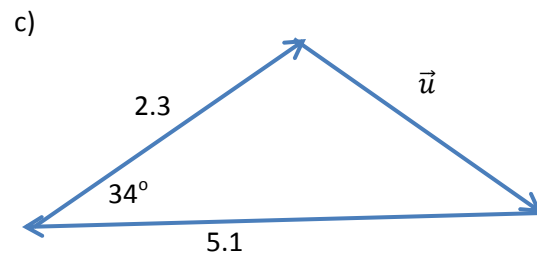
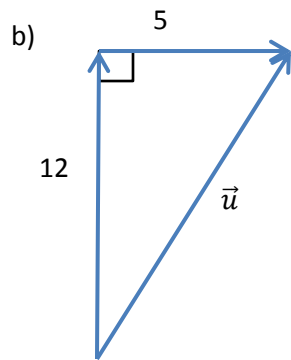
The magnitude of a vector?

The direction of a vector?

**Examples:** Find  $|\vec{u}|$  in each of the following.

a)





### Equality of Vectors

Two vectors,  $\vec{u}$  and  $\vec{v}$  are equal if and only if:

- 1)
- 2)

We can then say that:

### The Negative of a Vector

The negative of a vector is a vector with the **same magnitude** but **opposite direction**.

We can say that the negative of  $\overrightarrow{AB}$

### The Zero Vector

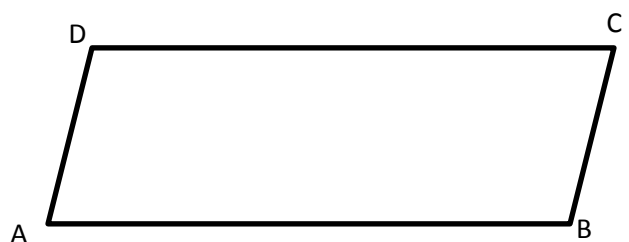
The zero vector has a magnitude of zero. Its direction is undefined.

**Example:** In parallelogram ABCD, find a vector equal to:

- a)  $\overrightarrow{AB}$       b)  $\overrightarrow{DA}$       c)  $-\overrightarrow{CD}$

Find vectors equal to the negative of:

- d)  $\overrightarrow{AB}$       e)  $\overrightarrow{CB}$



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## Scalar Multiplication

Recall that a scalar quantity can be any real number.

A vector  $\vec{v}$  can be multiplied by a scalar,  $k$ , to produce a new vector  $k\vec{v}$  such that:

1)

2)

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**Example:** Given  $M$  is the midpoint of  $\overline{AB}$ , express each vector below as a scalar multiply of another. (Label the diagram first)



a)  $\overline{AB} =$

b)  $\overline{BM} =$

**Example** ABCD is a parallelogram with  $X$  and  $Y$  as midpoints of  $AB$  and  $AD$ , respectively. If  $\vec{u} = \overline{BX}$  and  $\vec{v} = \overline{AY}$  express the following in terms of  $\vec{u}$  and  $\vec{v}$ .

a)  $\overline{AD}$

b)  $\overline{XA}$

c)  $\overline{CD}$

d)  $\overline{CB}$

